



## EXPERIMENT PROCEDURE

- Make a relative measurement of the intensity of radiation from an incandescent lamp with a tungsten filament as a function of temperature with the help of a Moll thermopile.
- Measure the resistance of the filament in order to determine the filament's temperature.
- Plot the measurements in a graph of  $\ln(U_{th})$  against  $\ln(T)$  and determine the exponent from the slope of the resulting straight line.

## OBJECTIVE

Verify that intensity of radiation is proportional to the fourth power of the temperature,  $T^4$ .

## SUMMARY

The way that intensity of radiation from a black body depends on temperature is described by the Stefan-Boltzmann law. Similar dependence on temperature is exhibited by the intensity of radiation from an incandescent lamp with a tungsten filament. In this experiment, a Moll thermopile is used to make a relative measurement which verifies the law. The temperature of the filament can be determined from the way its resistance depends on temperature, which can be determined very accurately using a four-wire method.

## REQUIRED APPARATUS

Quantity	Description	Number
1	Stefan Boltzmann lamp	1008523
1	DC Power Supply 0 – 20 V, 0 – 5 A (230 V, 50/60 Hz)	1003312 or
	DC Power Supply 0 – 20 V, 0 – 5 A (115 V, 50/60 Hz)	1003311
1	Moll-Type Thermopile	1000824
3	Digital Multimeter P1035	1002781
2	Barrel Foot, 1000 g	1002834
1	Set of 15 Safety Experiment Leads, 75 cm	1002843

# 2

## BASIC PRINCIPLES

Both the total intensity and the spectral distribution of the heat radiation from a body are dependent on the body's temperature and the nature of its surface. At a specific wavelength and temperature, the body emits more radiation if it is also better able to absorb it. A black body, a body with ideal surface characteristics, fully absorbs radiation of all wavelengths and can therefore emit the greatest amount of thermal radiation for a given temperature. Such a body is assumed when investigating how radiation of heat depends on temperature.

The way that intensity of radiation  $S$  from a black body depends on temperature is described by the Stefan-Boltzmann law.

$$(1) \quad S_0 = \sigma \cdot T^4$$

$T$ : absolute temperature

$$\sigma = 5,67 \cdot 10^{-8} \frac{\text{W}}{\text{m}^2 \text{K}^4} : \text{Stefan-Boltzmann constant}$$

It is not possible to determine this intensity directly, since the body will also simultaneously be absorbing radiation from its surroundings. The intensity as measured is therefore

$$(2) \quad S_1 = \sigma \cdot (T^4 - T_0^4)$$

$T_0$ : absolute temperature of surroundings

Light emitted from an incandescent lamp also counts as heat radiation. In this case, the temperature of the filament is determined in such a way that a large amount of the heat is emitted in the spectrum of visible light. The way the total intensity of radiation depends on temperature is equivalent to that of a black body:

$$(3) \quad S = \varepsilon \cdot \sigma \cdot (T^4 - T_0^4)$$

This is because the filament absorbs a proportion  $\varepsilon$  of radiation of all frequencies.

An incandescent lamp of this kind with a tungsten filament will be investigated in this experiment in order to determine how the intensity of radiation depends on the temperature. A Moll thermopile is used to measure relative radiation intensity. The temperature of the filament can be determined using the temperature-dependency of its resistance:

$$(4) \quad R = R_0 \left( 1 + \alpha \cdot (T - T_0) \right)$$

$R_0$ : resistance at ambient temperature  $T_0$

$$\alpha = 4,4 \cdot 10^{-3} \frac{1}{\text{K}} \text{ for tungsten}$$

$R$  can be determined very accurately using a four-wire measurement.

## EVALUATION

The following expression for temperature  $T$  is derived from equation (4)

$$T = \frac{R - R_0}{\alpha \cdot R_0} + T_0$$

However, equation (4) only applies as a good approximation. For more accurate results, it is possible to use a table provided in the operating instructions for the Stefan-Boltzmann lamp.

In this experiment, temperatures  $T$  are chosen to be so high that the ambient temperature  $T_0$  can be ignored in equation (3). Instead of the absolute intensity  $S$ , the thermopile voltage  $U_{th}$  is read off as a measure of relative intensity. Equation (3) can then be rewritten as

$$U_{th} = a \cdot T^4 \text{ or } \ln(U_{th}) = \ln(a) + 4 \cdot \ln(T)$$

This means that a graph of  $\ln(U_{th})$  against  $\ln(T)$  will show all the measurement points along a straight line of gradient 4.

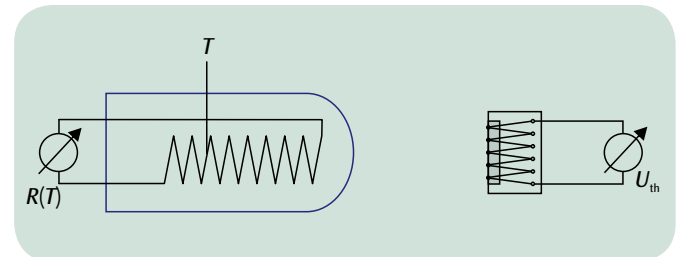


Fig. 1: Schematic of set-up

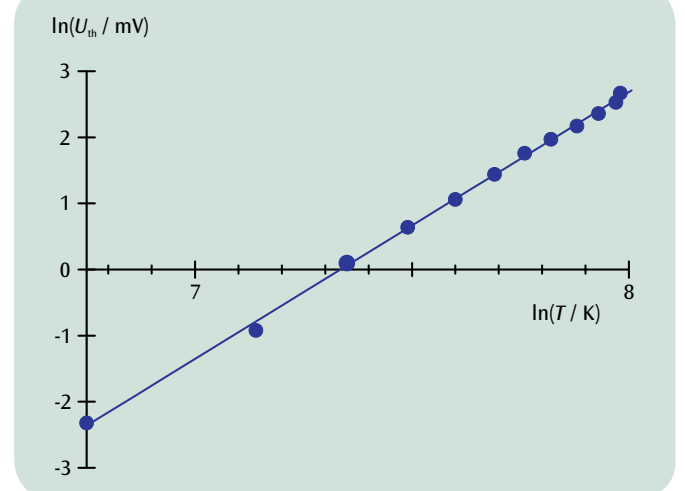


Fig. 2: Graph of  $\ln(U_{th})$  against  $\ln(T)$